

## GG250 Lab 12 Oil Supply (Hubbert's Method)

The objective here is to estimate how much of the total U.S. petroleum supply has been produced to date and when 90% of the U.S. petroleum supply will have been produced.

You will do this using data and a model production function  $r = Ae^{-((t-T)/S)^2}$ . The data file with U.S. petroleum production rate data is on the lab website. It was obtained from <http://www.eia.doe.gov/emeu/aer/petro.html>. The values in the first column are the years (t), and the values in the second column are the annual production rates (r), in barrels/day.

### Exercise 12 (47 pts total)

Create a function [A,T,S,ratio] = gg250\_lab\_12\_yourname (S,t\_range,tau) (7 pts)  
to address the objective. The function should be well documented. (5 pts)

The input parameters are

- S = model parameter
- t\_range = values of t at which r is calculated
- tau = upper limit of integral

The output parameters the function returns are

- A,T,S = model parameters
- ratio = proportion of oil produced at t = tau relative to the total ultimate production.

The function should perform the following tasks:

- A Load the production rate data file (US\_petroleum\_overview.dat) (1 pt)
- B Plot the production rate data against time with small "o's" (4 pts)
- C Find the value of the peak production rate (A) (1 pt)
- D Find the year of the peak production rate (T) (2 pts)
- E Superpose the model curve on the data, with the model values of r being calculated over the range of time specified by t\_range (4 pts)
- F Label the axes on the plot (2 pts)
- F Integrate the model curve from min(t\_range) to max(t\_range) to find the (total) production (Q1) (4 pts)
- G Integrate the model curve from min(t\_range) to tau to find the cumulative production over that time interval (Q2). (4 pts)
- H Calculate the ratio of Q2 to Q1. (4 pts)
- I The function should have a subfunction called "r = bell\_curve(t)" that calculates model values of r as a function of t. The values of A,S, and T can be passed to the subfunction as global variables. (4 pts)

You could use the approach in labs 9-10 to find a value of S to minimize the misfit, but here you can do an "eye-ball best-fit" to find S. Try several values of S and pick one that you consider to yield the best fit. Use the following values for t\_range:

t\_range = 1800:2200

In your e-mail to us, give your S value, and comment on your results. (5 pts)